Nanoscopy

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Background: Examples

Background are photons picked up from out-of-focus z-positions on the sample.

- Unwanted out-of-focus contributions
- Background scales with illumination intensity, thus SBR (signal-background-ratio) uninfluenced by more light) (i) 6

Background: PSF

$$
M(x,y) = \int_{S_z} \mathsf{PSF}(z) * (I \cdot S(x,y,z)) \,dz
$$

- 3D PSF (and sample) to account for these contribution
- z-component generally harder to calculate, but can be measured and/or simulated.
- **Important**: Axial vs. lateral resolution

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Background falloff as PSF gets wider

- Left: Widefield image, Actin-labeled cell
- Right: Contributions from different depths of out-of-focus regions

Recapitulation: Wide-field epi-fluorecence microscope

Here the image $M(x, y)$ is given by illumination intensity *I* and the fluorophore density / distribution S.

$$
M_{l,\kappa}(x,y)=\int_{S_z}\mathsf{PSF}(z)*\left(l_l(x,y,z)\cdot S(x,y,z,\kappa)\right)\mathrm{d}z
$$

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Axial resolution enhancement by changing illumination mode

Improvement: Background problem. . .

$$
M(x,y) = \int_{S_z} \mathsf{PSF}(z) * (I(x,y,z) \cdot S(x,y,z)) \,dz
$$

- Light distribution is uniform throughout sample $I(x, y, z) = \text{const.}$
- \bullet Idea: change I so that there is only illumination close to the focal plane
- Possible if focal plane is close to the glass

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TIRF: Principle

TIRF

Total Internal Reflection Fluorescence microscopy

- Typical sample: Refraction index close to water. Therefore, total reflection between glass and sample.
- Adjust the illumination optics alignment, let light enter under a flat angle.

$$
\theta = \arcsin(\frac{n_{\rm sample}}{n_{\rm glass}})
$$

Why it there any light to illuminate the sample now?

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TIRF: Effect

$$
M(x,y) = \int_{S_z} \text{PSF}(z) * (I(z) \cdot S(x,y,z)) dz \quad \text{with} \quad I(z) = I_0 \cdot e^{-\alpha \cdot z}
$$

- Evanescent wave, so the intensity drops exponentially
- \bullet I_0 at the sample / glass interface where $z = 0$
- \bullet α depends on angle, refractive indices, wave length...
- Typically usable up to a few hundred nanometers from glass (that the drawbac[k\).](http://www.creativecommons.org/licenses/by-sa/4.0/)

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TIRF: Problem

TIRF Problem: Sample not close to surface

- Fluorescent material (almost) only inside a cell
- Structure of interest somewhere near membrane
- Cell has some distance to clover slip (medium)
- Problem: Too far away for TIRF to work

Solution: work almost in TIRF

- Use a TIRF setup, which will be adjustable, find the critical angle θ by looking for TIRF, adjust some degree away from TIRF
- Light will travel through the sample under a very flat angle, which can also be adjusted
- The idea is similar to dark-field

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Focal scanning

Confocal scanning: Resolution enhancement through overlapping PSFs

Focal scanning: Starting point

- The widefield setup, some components rearranged
- Yes, that will happen when you build a system. . .
- Note: Up to the tube lens, illumination and imaging path are the same

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Focal scanning: Focussing the illumination

- Second tube lens: There is now a second virtual image plane, complete with magnification and everything
- Nice: Once adjusted, it follows in focus, since they use the same objective.
- Laser optics are changed, now focused to a point on the virtual image plane

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Focal scanning: Moving the laser spot

- Moving the mirror moves the laser point on the virtual image, thus an illumination spot moves on the sample
- There is only a signal from that one illuminated spot: Might as well use a "detector" instead of a camera (remember a pin hole, though)
- For what follows: Points need to be scanned and measured separately.

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Focal scanning: Effect

$$
M(x,y) = \int_{S_z} \mathsf{PSF}_{\mathsf{em.}}(z) * (I(x,y,z) \cdot S(x,y,z)) \,dz \quad I(x,y,z) = I_0 \cdot \mathsf{PSF}_{\mathsf{ex.}} * \delta(x,y,z)
$$

- Illumination now far from constant: Point source (delta peak) at the position the laser is focused at, folded by PSF.
- Out of focus: Not only contribute less to measurement, but also receive less light
- **•** Sometimes relevant: PSFs differ due to wavelength

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Focal scanning: Resolution improvement

$$
M(x,y) = \int_{S_z} \mathsf{PSF}_{\mathsf{em.}}(z) * (I(x,y,z) \cdot S(x,y,z)) \,dz \quad I(x,y,z) = I_0 \cdot \mathsf{PSF}_{\mathsf{ex.}} * \delta(x,y,z)
$$

- First of all: That improvement work also lateral
- "PSF squared" means: At former FWHM, intensity M is now $\frac{1}{4}$
- New FWHM: Where ever $\sqrt{2}M_{\text{max}}$ was in wide-field
- For a gaussian PSF than leads to a $\sqrt{2}$ improved resolution

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Standard one-spot confocal scanning

Laser Scanning Fluorescence Microscope Assembly with point detector

- **•** This is a standard laser scanning microscope
- Emission and illumination now via the same mirror set
- Computer controls mirror, at each point measure the signal, maps to an image
- Detector can be much more sensitive than a camera (and e.g. measure multiple spectral lines)

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Multi-spot laser-scanning

- Array of micro-lenses: Create multiple laser spots
- Mirror-assembly to move these spots

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Multi-spot laser-scanning

- Multiple spots make the system faster
- **•** Emission detection via camera and post-processing
- Often already referred to as SIM

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Lecture today: "Classic" methods (TIRF, HiLo, Confocal scanning) to improve resolution via controlling how light reaches the sample. Next lectures: Current super-resolution techniques.

Superresolution Microscopy

Techniques that allow resolution beyond the Abbe limit

$$
M_{l,\kappa}(x,y)=\int_{S_z}\mathsf{PSF}(z)*\left(l_l(x,y,z)\cdot S(x,y,z,\kappa)\right)\mathrm{d} z
$$

- Influence the illumination: Structured illumination microscopy (SIM) Use multiple sets l of $I_1(x, y, z)$, where $I_1(x, y, z)$ varies along x, y, z. If now $M_1(x, y)$ and $I_1(x, y, z)$ is known, solve for $S(x, y, z)$. SIM denotes a specific technique and the general concept.
- Use (and sometimes influence) the sample response: Localization Microscopy Add some *property* κ to the sample, so its response to illumination can change. This can be switching the fluorophore (e.g. STED) or a stochastic blinking process (STROM, dSTROM).

Localization microscopy is a somewhat vague term.

• Finally, both approaches can even be combined.